



GSFC • 2015

Dynamic Radiative Surface Properties with Origami-Inspired Topography

Rydge B. Mulford

Mitchell J. Blanc

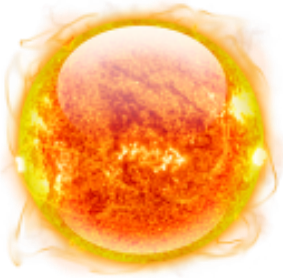
Dr. Matthew R. Jones

Dr. Brian D. Iverson

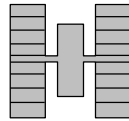




Heating Conditions in Orbit



- Large variations in thermal environment but static radiative surface properties



- Current Solutions
 - Multi-Layer Insulation
 - Heaters
 - Spectrally-selective surfaces
 - Louvers



Variable Emissivity Devices



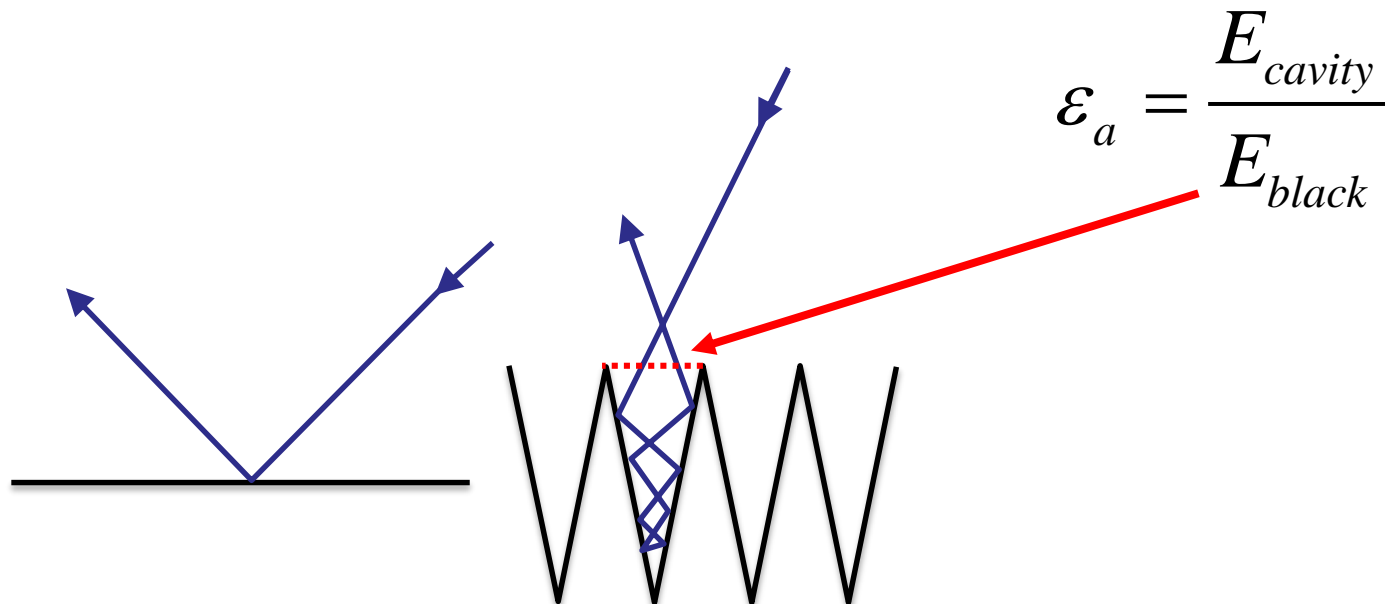
- Surfaces capable of changing emissivity and absorptivity in real time
- Current variable emissivity devices rely on various mechanisms to vary emissivity
 - Modification of surface chemistry
 - Modification of heat transfer mode

What about geometry modifications ?



The Cavity Effect

- Reflections inside a cavity create an increase in apparent surface properties





Apparent Surface Behavior

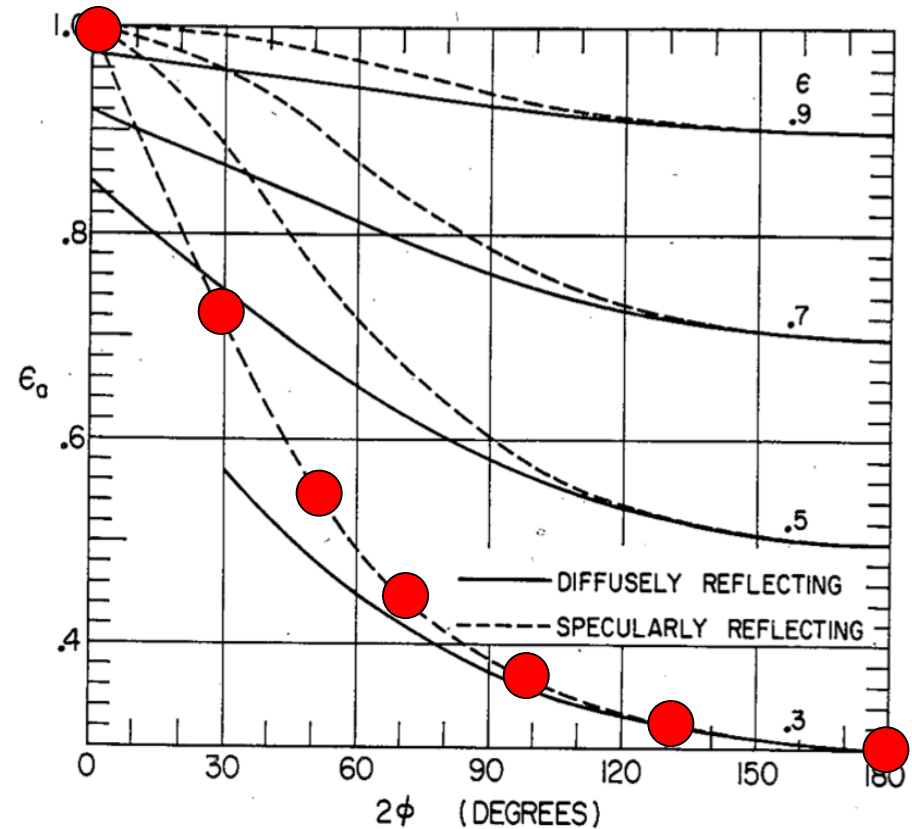
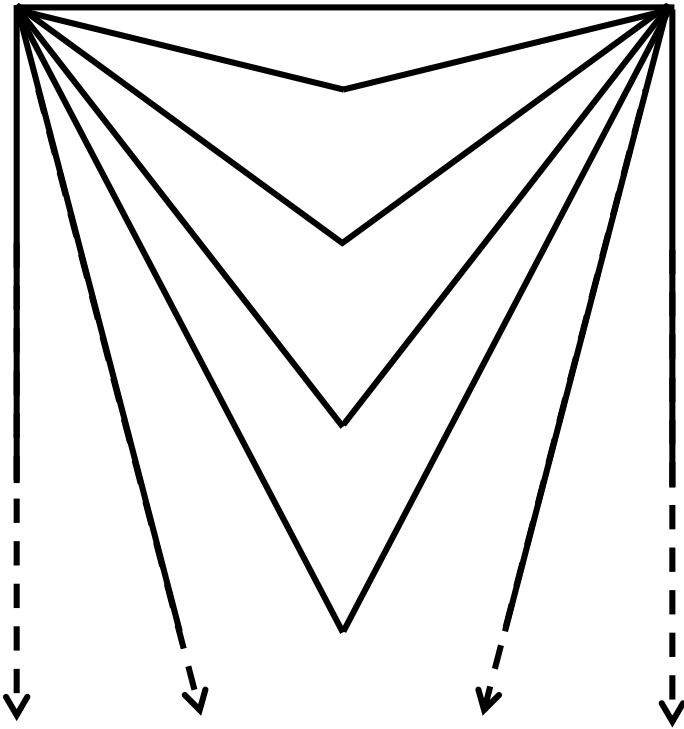


Fig. 6-6 Apparent emissance results for diffusely and specularly reflecting V-groove cavities.

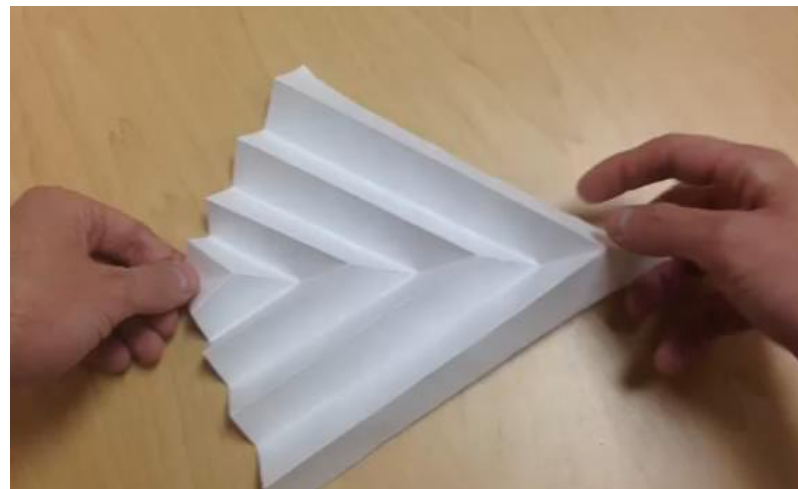
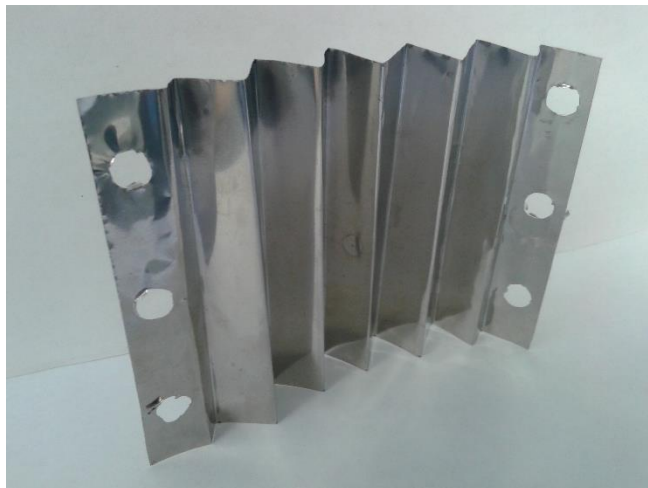
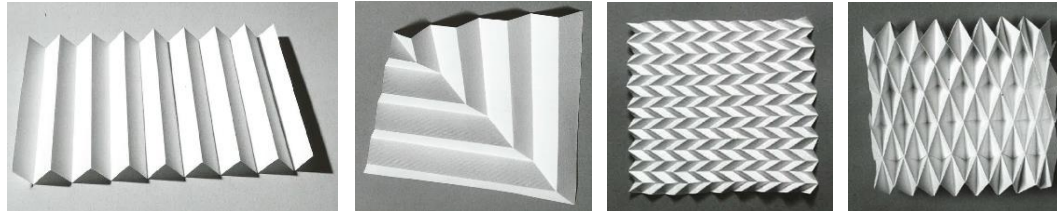
Sparrow and Cess, Radiation Heat Transfer, 1978

Real World Implementation?



Origami and the Cavity Effect

- 1D actuation manipulates cavity angle
- Simple to advanced fold patterns exist
- Models exist to describe accordion fold





Purpose of this Work

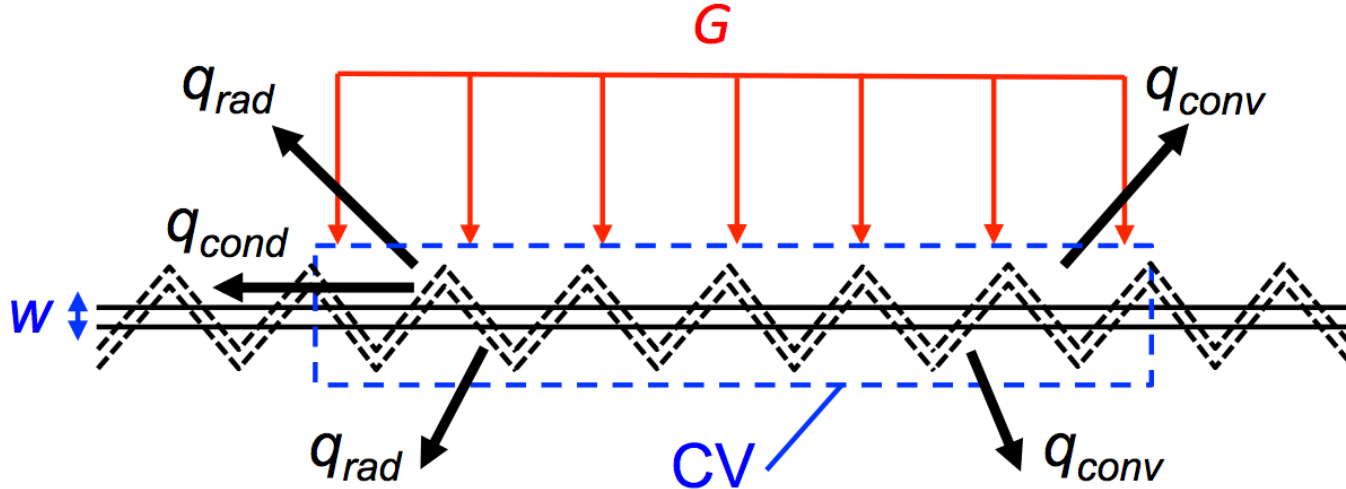
- Determine the following as a function of geometry:
 - Apparent absorptivity
 - Apparent emissivity
 - Rate of net radiative heat exchange with the surroundings
- Methods must apply to any origami fold pattern.



Apparent Absorptivity



Apparent Absorptivity Energy Balance



- Energy Balance

$$mC_P \frac{dT}{dt} = \alpha_a G_B A_B - (q_{conv} + q_{rad} + q_{cond})$$

- Governing Equation

- Non-dimensionalized
- Overall heat transfer coefficient

$$\underbrace{\frac{d\theta}{dt} + \sin\left(\frac{\phi}{2}\right) \left[\frac{U(t)}{\rho w C_P} \right] \theta}_{\text{Heat Loss Term}} = \underbrace{\sin\left(\frac{\phi}{2}\right) \frac{\alpha_a G_B}{\rho w C_P}}_{\text{Heat Addition Term}}$$

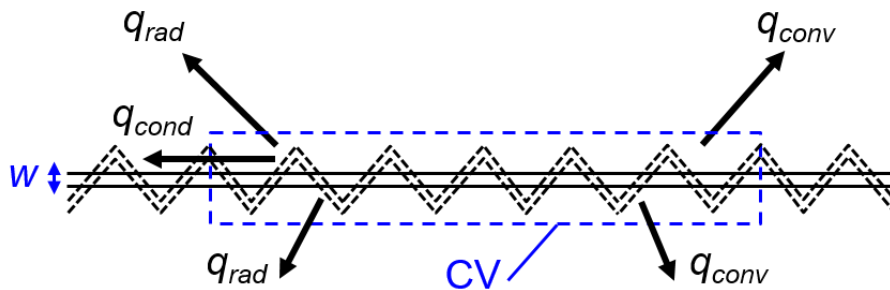


Heat Loss Characterization

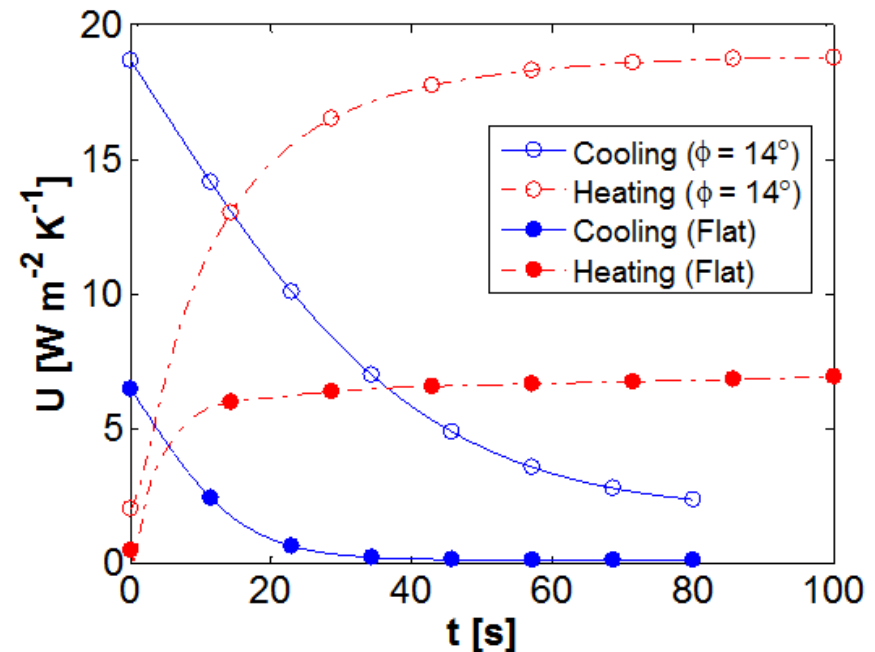
- $U(t)$ characterizes conductive, convective and radiative heat losses

$$\frac{d\theta}{dt} + \sin\left(\frac{\phi}{2}\right) \left[\frac{U(t)}{\rho w C_p} \right] \theta = \sin\left(\frac{\phi}{2}\right) \frac{\alpha_a G_B}{\rho w C_p}$$

$$U(t) = 2h + 2h_r + \frac{Sk}{A_B}$$



$$U(t) = \left[\frac{-r w C_p}{\sin(f/2)} \right] \frac{1}{q} \frac{dq}{dt}$$





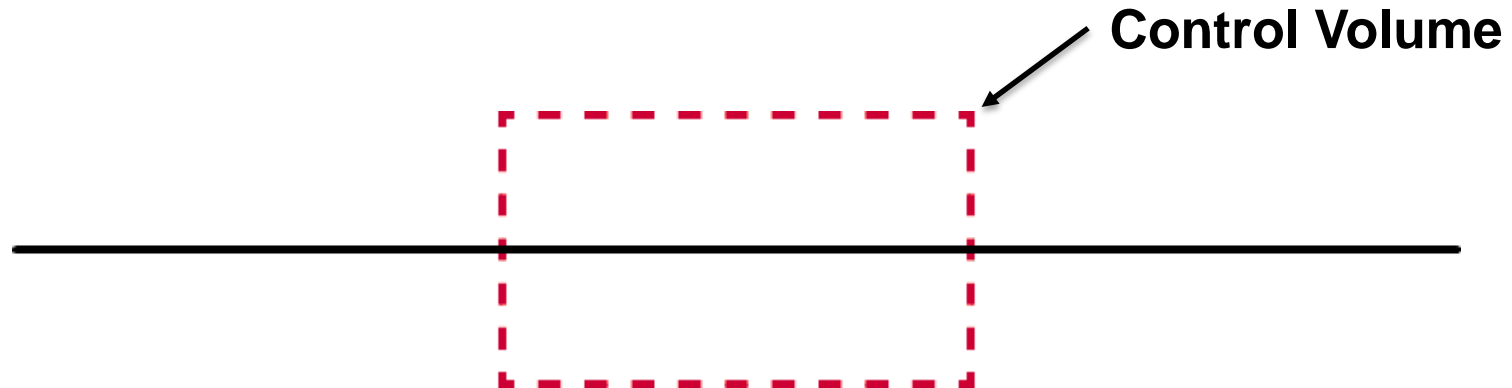
Mass Compensation



- Volume Ratio

- Accounts for increasing mass in control volume as sample is actuated
- Different origami folds would have different ratios

$$\frac{V_B}{V_{folded}} = \frac{A_B}{A_{folded}} = \frac{1}{\sin\left(\frac{\phi}{2}\right)}$$





Inverse Model Solutions

$$\frac{d\theta}{dt} + \sin\left(\frac{\phi}{2}\right) \left[\frac{U(t)}{\rho w C_p} \right] \theta = \sin\left(\frac{\phi}{2}\right) \frac{\alpha_a G_B}{\rho w C_p}$$

- **Direct Method**
 - The governing equation was rearranged
- **Integrating Factor Method**
 - An integrating factor was used to solve the differential equation

Integrating Factor Method	Direct Method
$\alpha_a = \frac{\frac{U_{\max}}{G_B} (\theta - \theta_0)}{1 - e^{\frac{-U_{\max} t}{\rho w C_p} \sin\left(\frac{\phi}{2}\right)}}$	$\alpha_a = \frac{\rho w C_p}{G_B \sin\left(\frac{\phi}{2}\right)} \left[\frac{d\theta}{dt} + \sin\left(\frac{\phi}{2}\right) \frac{U(\Delta T(t))}{\rho w C_p} \theta \right]$



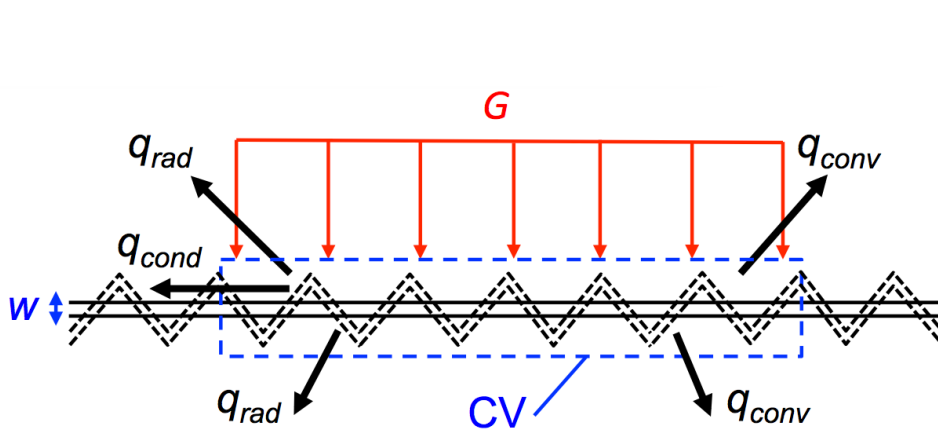
Steady State Model

- The steady state energy balance gives absorptivity as a function of G , θ_{SS} and U_{\max}

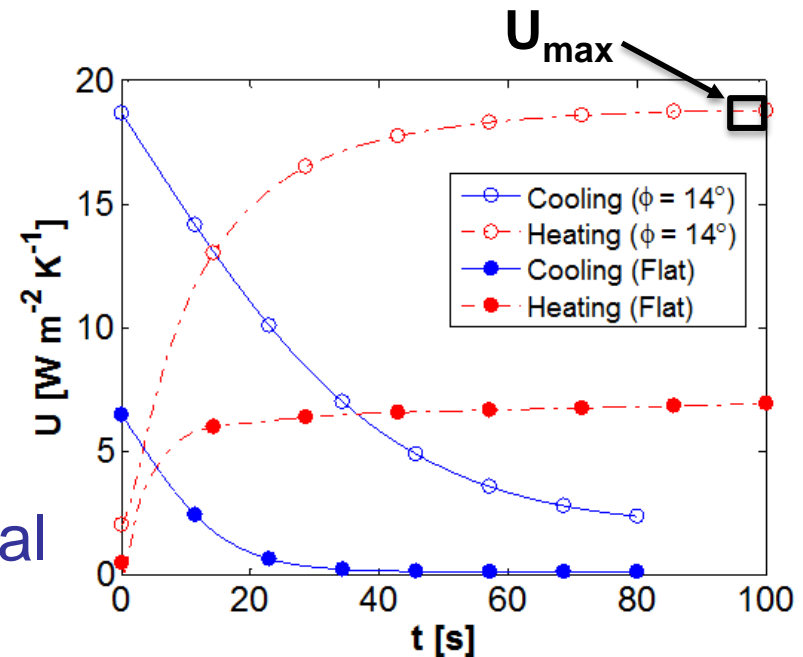
$$\cancel{\frac{d\theta}{dt}} + \sin\left(\frac{\phi}{2}\right) \left[\frac{U(t)}{\rho w C_P} \right] \theta = \sin\left(\frac{\phi}{2}\right) \frac{\alpha_a G_B}{\rho w C_P}$$



$$\alpha_a = \frac{U_{\max} \theta_{SS}}{G_B}$$

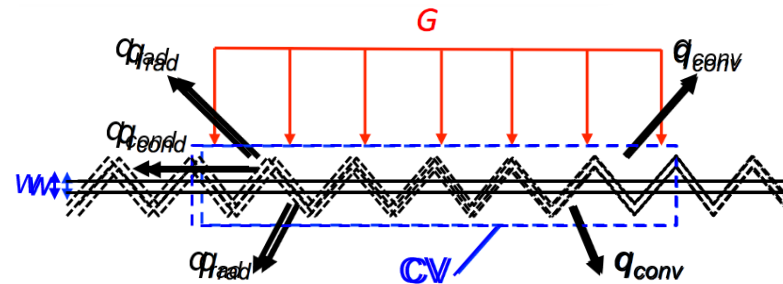
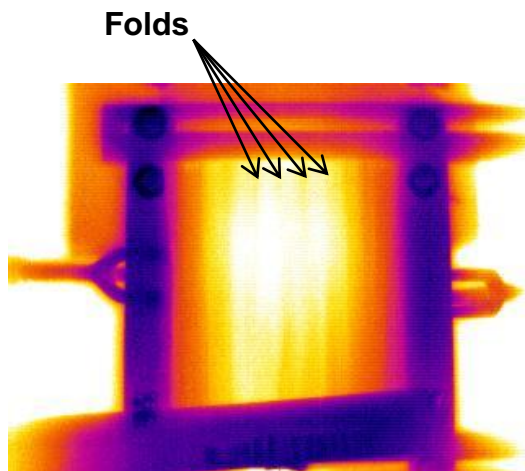
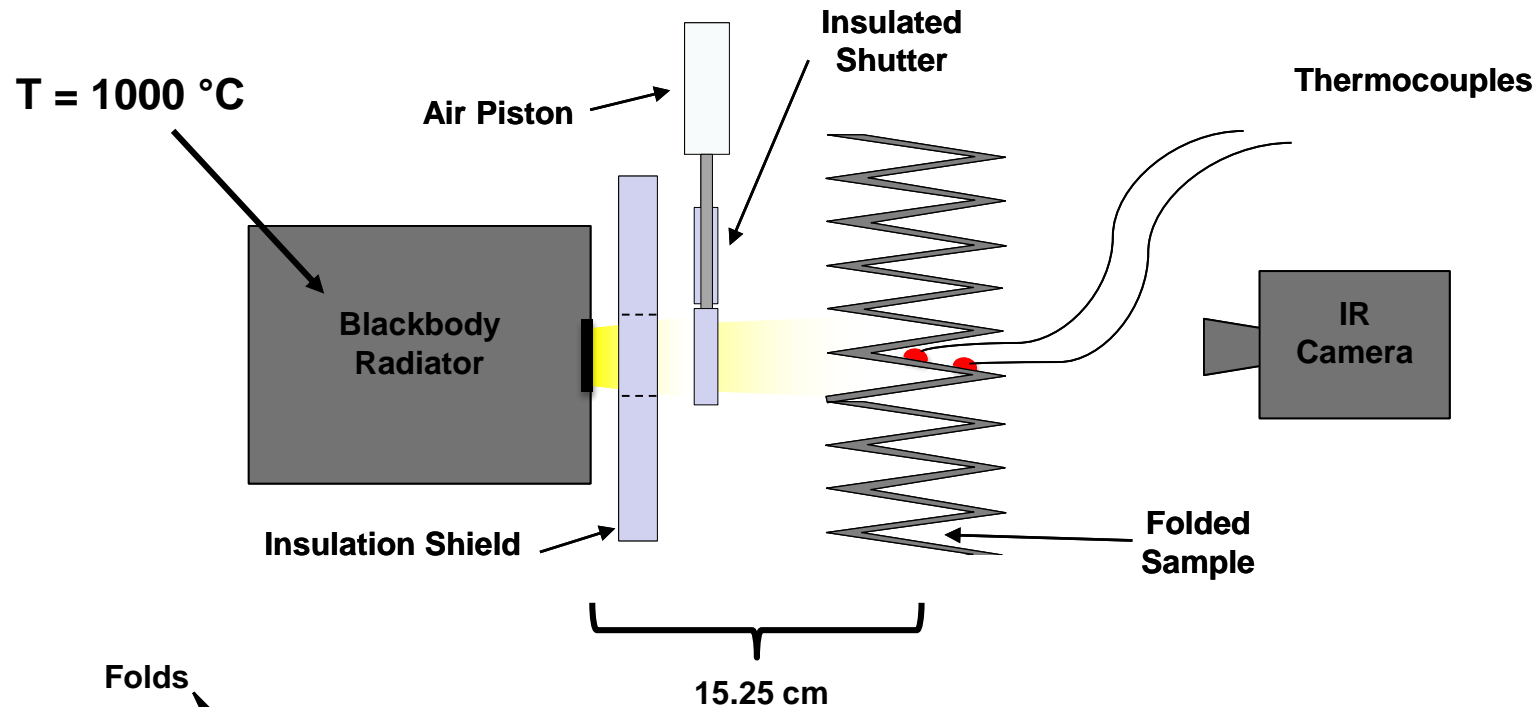


- All solutions require experimental temperature measurements





Experimental Setup

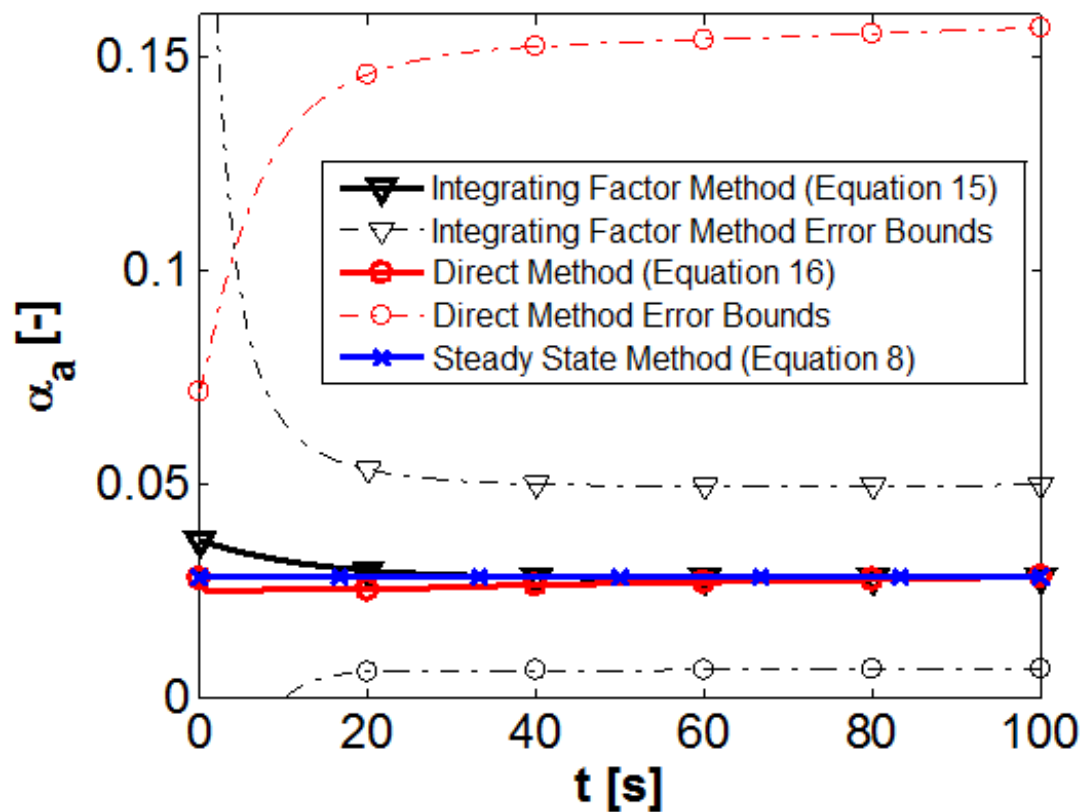


$\rightarrow U\phi_d(t)$



Experimental Results (Flat Sample)

- Absorptivity results with respect to time for three methods





Flat Sample Validation

- Flat sample was measured with a reflectometer
 - Independent verification of inverse model results

Test #	Spectral Range (Micrometers)					
	1.5 – 2.0	2.0 – 3.5	3.0 – 4.0	4.0 – 5.0	5.0 – 10.5	10.5 – 21.0
	Spectral Reflectivity					
1	0.965	0.969	0.966	0.977	0.982	1.005
2	0.967	0.972	0.971	0.973	0.983	1.01
3	0.965	0.969	0.973	0.977	0.98	0.986

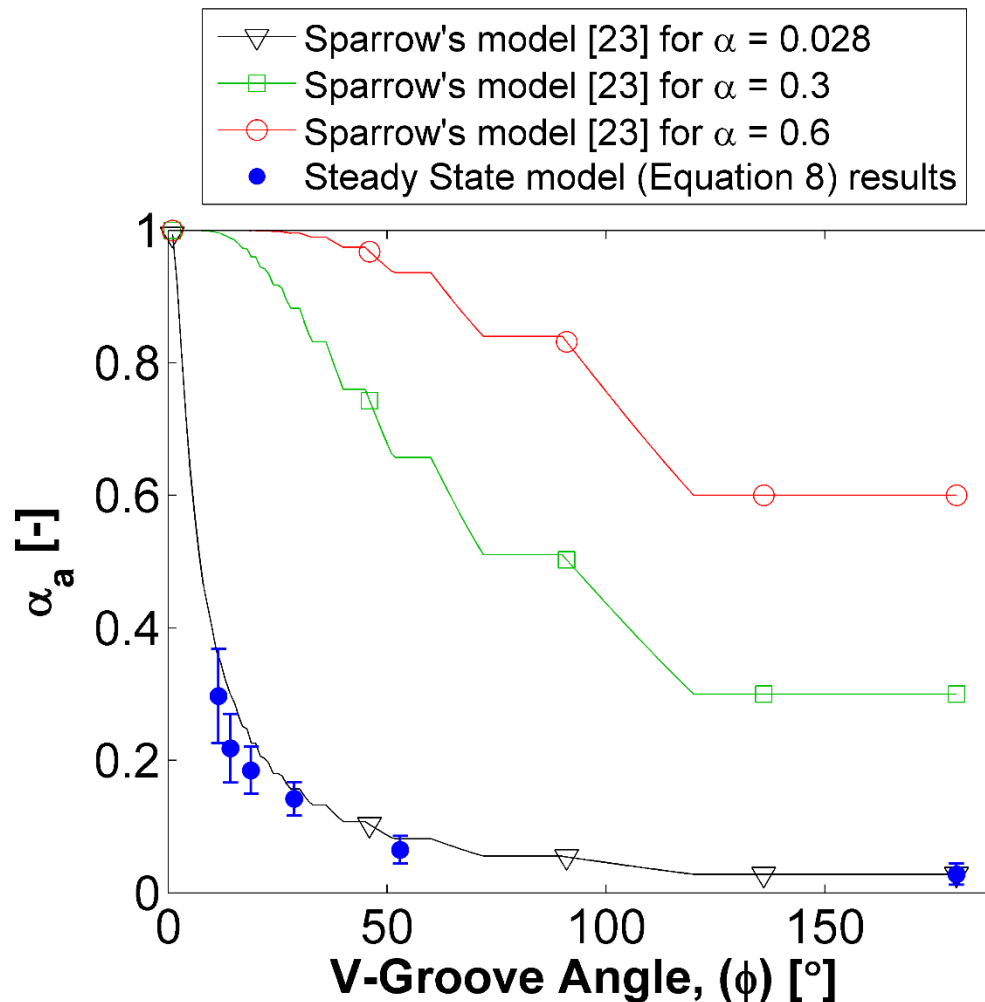
Emissometer Absorptivity	0.028
Steady State Model Absorptivity	0.028

$$\alpha = \sum_{i=1}^6 F_i (1 - \rho_{r,i})$$



Folded Sample Validation

- Experimental and theoretical results show that a surface with any intrinsic absorptivity can achieve $\alpha_a = 1$



Sparrow's Equations

$$\alpha_a = 1 - (1 - \alpha X') (1 - \alpha)^{n-1}$$

where:

$$X' = \frac{\sin \left[\left(n - \frac{1}{2} \right) \phi \right]}{\sin \left(\frac{\phi}{2} \right)}$$

$$n = \left\lfloor \frac{180}{\phi} + \frac{1}{2} \right\rfloor$$

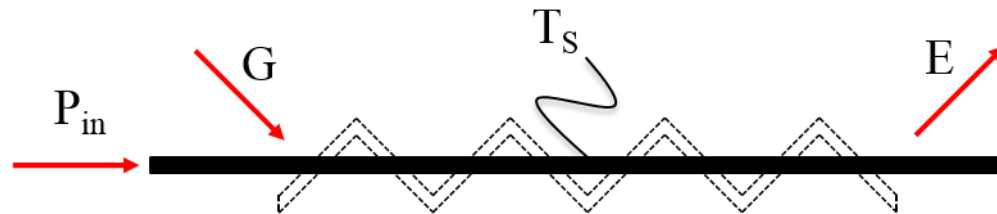


Apparent Emissivity



Theoretical Apparent Emissivity

- A new experimental approach is necessary to find ϵ_a
- We will consider an origami surface subjected to uniform electrical heating (P_{in})



$$P_{in} = A_{projected}(\phi)E(\phi) - A_{projected}(\phi)\alpha_a(\phi)G \quad \longrightarrow \quad A_{projected} = A_{initial} \sin\left(\frac{\phi}{2}\right)$$

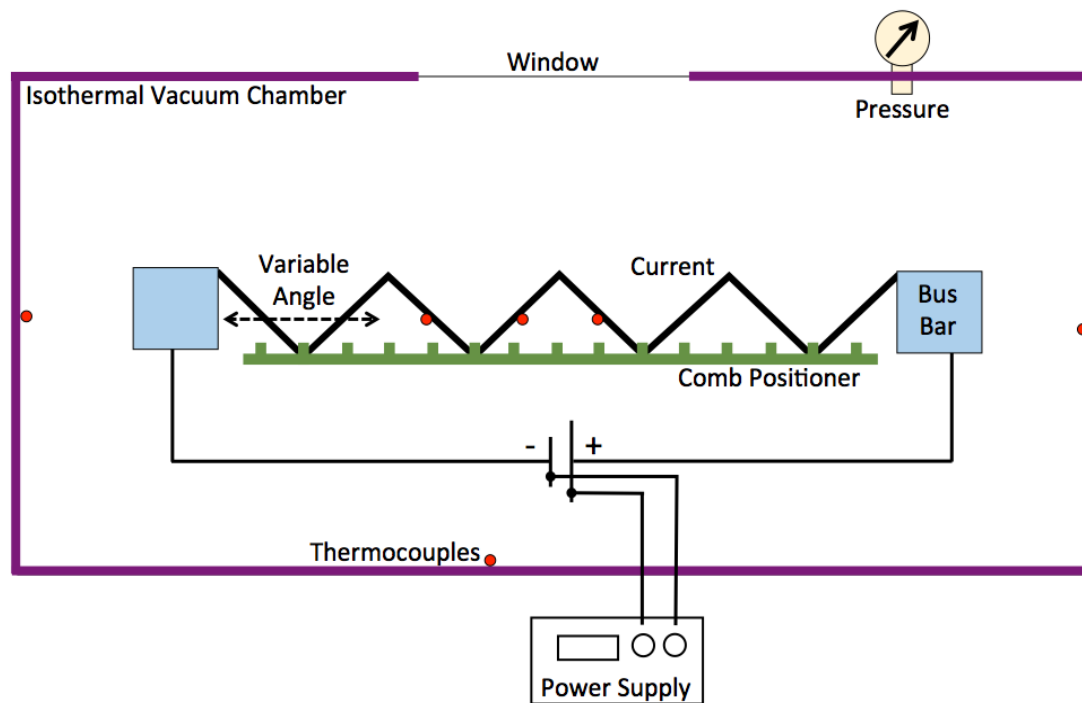
$$\epsilon_a = \frac{P_{in}}{A_i \sin\left(\frac{\phi}{2}\right) \sigma T_s^4} + \alpha_a \frac{T_{surr}^4}{T_s^4}$$



Apparent Emissivity Experimental Setup



- Experiments were performed in a vacuum chamber evacuated to a vacuum of 0.015 Torr
- Surface was heated using Joule heating
- A correction was made for the heating of the bus bars and losses in the electrical wires





Apparent Emissivity Results



- Experimental results are not yet complete
- Modest's equation will be used to benchmark apparent emissivity results (diffuse emitter, specular reflector):

$$\varepsilon_a = \frac{\varepsilon}{\sin \phi} \left[1 - \varepsilon \sum_{k=1}^n \rho^{k-1} (1 - \sin(k\phi)) \right], \quad n < \frac{\pi}{2\phi} \quad \text{From Modest, 2nd ed.}$$

- Modest's equation can be used for apparent emissivity when considering net radiative heat exchange



Net Radiative Heat Exchange

(Diffuse emitter, specular reflector, collimated/diffuse irradiation)



Variable Surface Area Considerations



- As the surface is compressed:
 - The apparent emissivity/absorptivity increase
 - The emitting area decreases
- What will be the effect on total radiative heat exchange with the surroundings?





Theoretical Heat Rate



- Same energy balance and governing equation as apparent emissivity analysis
- For a diffusely emitting, specularly reflecting surface

Collimated Irradiation

α_a = Sparrow's Equations

$$q_{net, radiation} = \sigma A_i \sin\left(\frac{\phi}{2}\right) (\varepsilon_a T_s^4 - \alpha_a T_{surr}^4)$$

Diffuse Irradiation

$$\alpha_a = \varepsilon_a$$

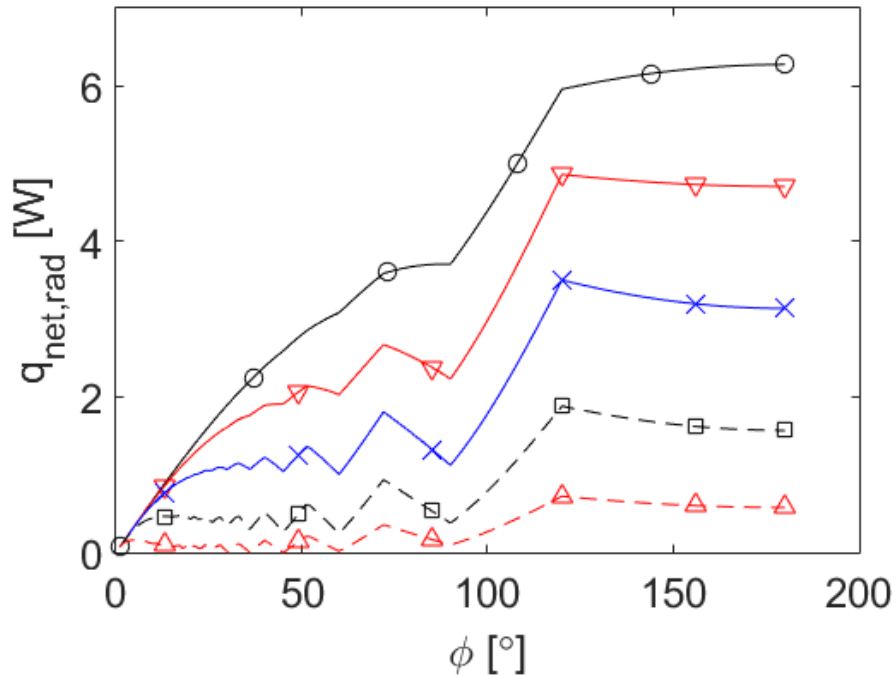
$$q_{net, radiation} = \varepsilon_a \sigma A_i \sin\left(\frac{\phi}{2}\right) (T_s^4 - T_{surr}^4)$$



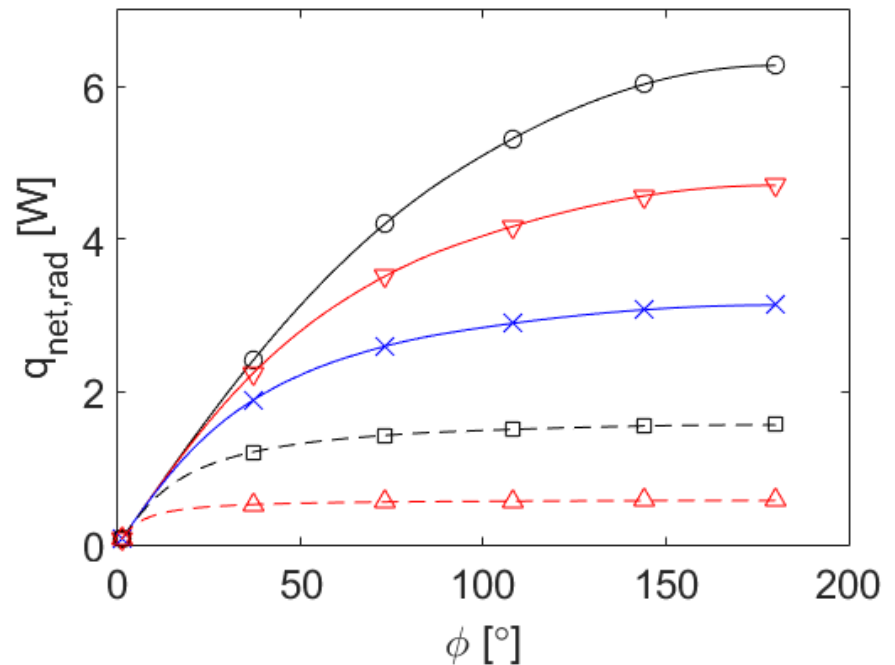
Theoretical Heat Rate Results



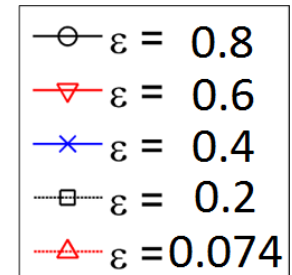
Collimated Irradiation



Diffuse Irradiation



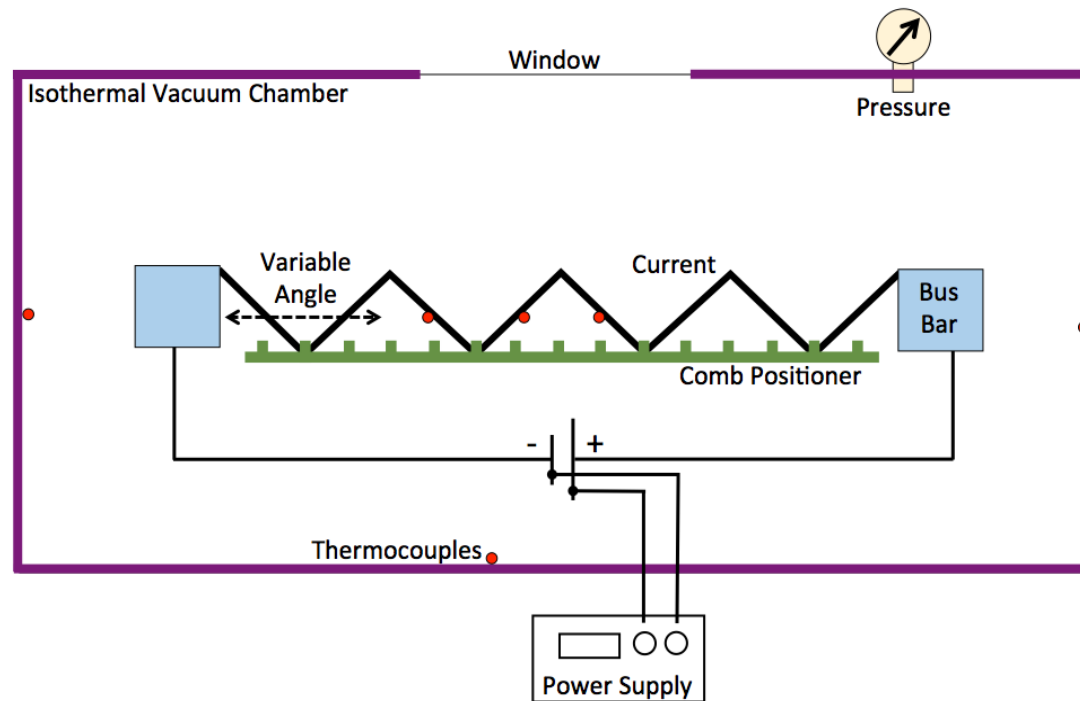
- Heat rate *decreases* with decreasing fold angle
- Collimated irradiation doesn't decrease monotonically





Heat Rate Experimental Setup

- Same setup as used in the apparent emissivity test
- Temperature data collected at three power levels and interpolated to find power as a function of fold angle at a constant temperature ($T = 325$ K)

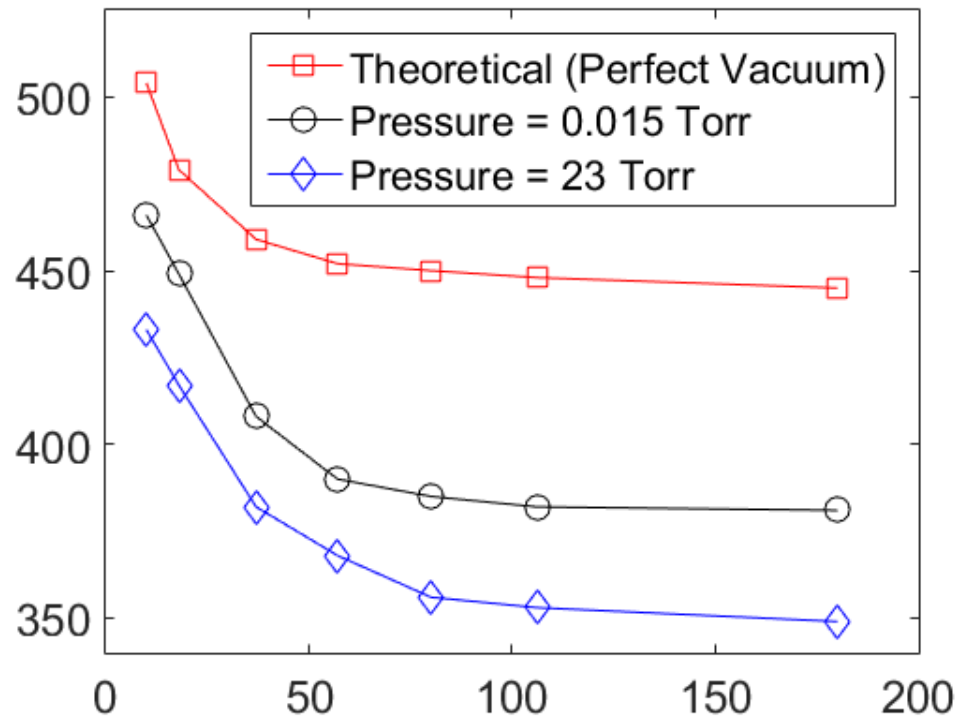




Experimental Results – Temperature



- Guys and Ellis found a pressure of 10^{-5} Torr is necessary to eliminate conductive losses
- Our setup is limited to 0.015 Torr

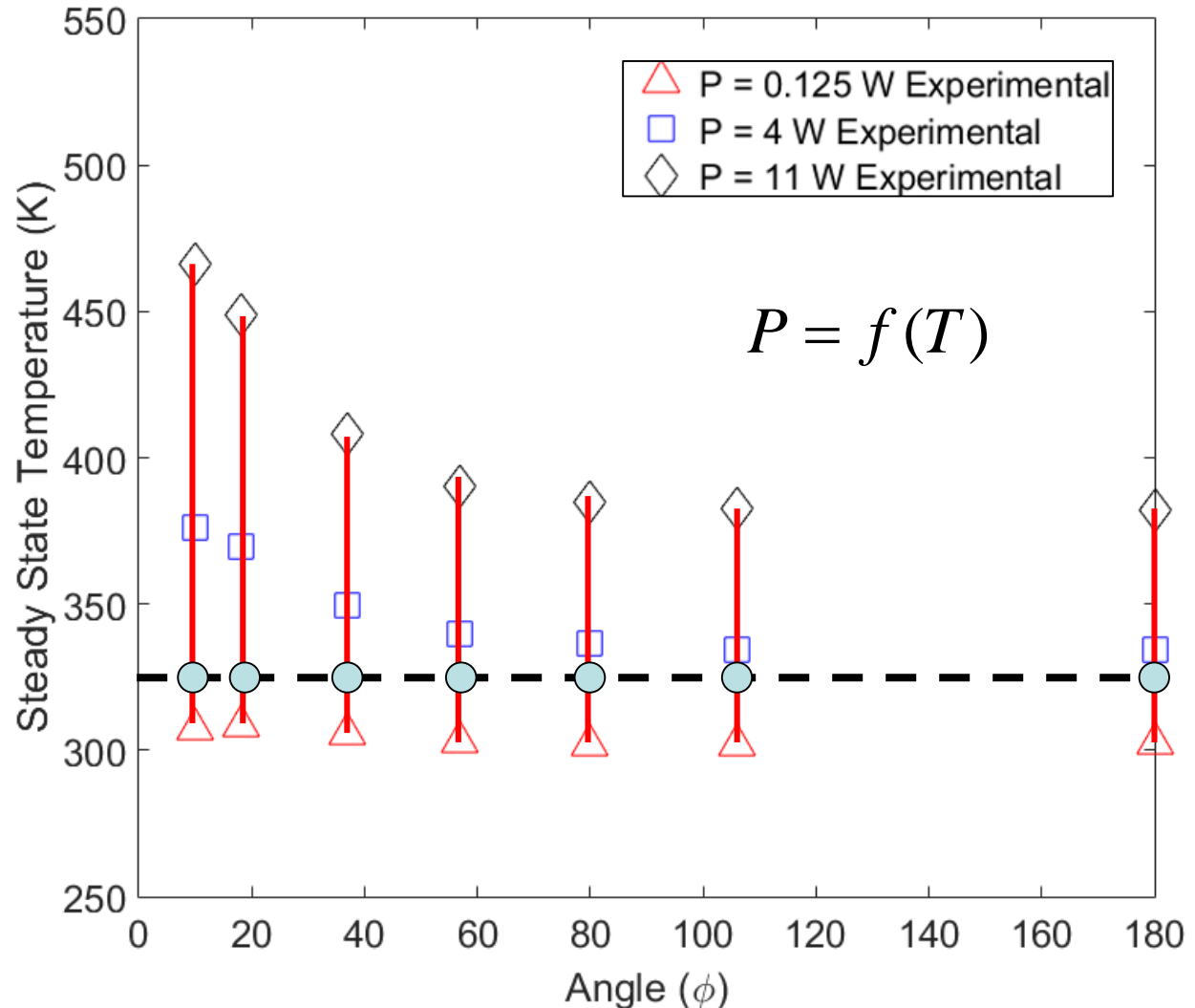




Experimental Results – Power Derivation



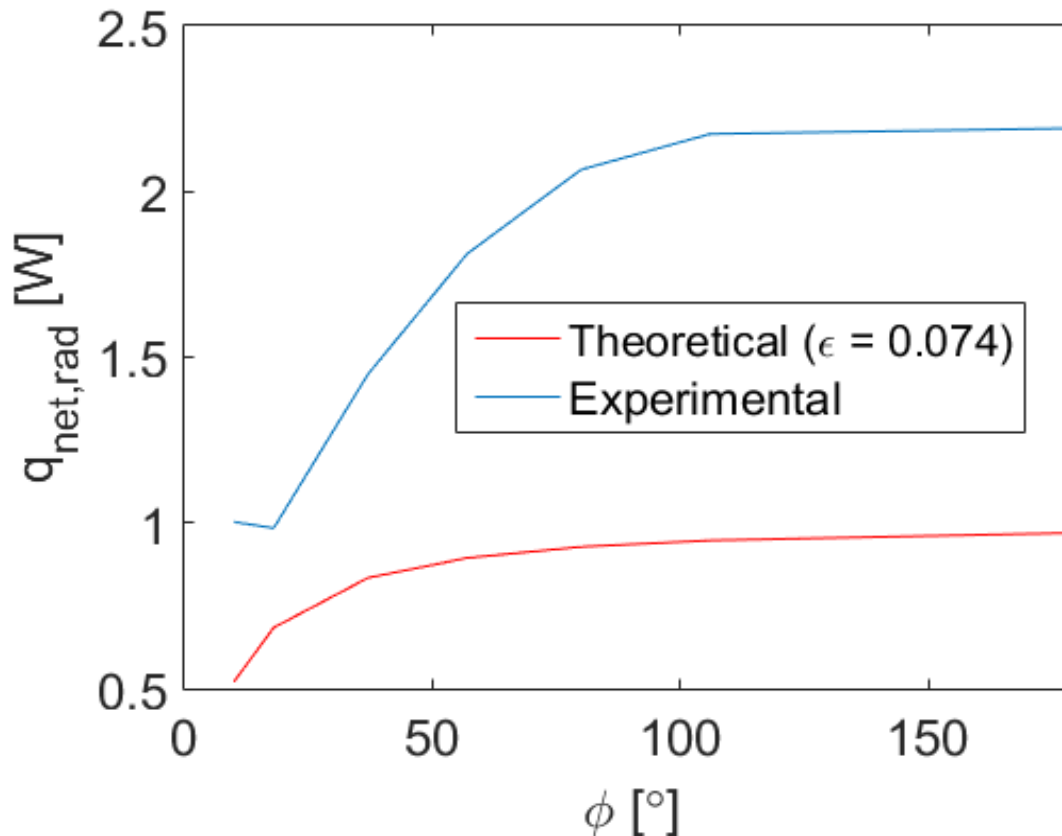
- 1) Defined a set temperature
- 2) Curve fit temperature vs. power data
- 3) Evaluated $T = 325$ K at each angle to find power as a function of angle





Experimental Results – Power

- Net radiative heat exchange for an origami surface as a function of cavity angle for a constant $T = 325$ K
- Heat rate decreases as cavity angle decreases





Conclusions



- Experimental facilities have been developed to find radiative properties as a function of cavity angle
- These methods may be used to characterize origami folds that cannot be modeled theoretically
- The heat rate decreases as the cavity angle is decreased because the angle term approaches zero
- Origami surfaces are capable of varying their apparent absorptivity and emissivity from very low (0.028) to unity



Future Work



- Surfaces that maintain a constant projected surface area should be explored.
- Investigate 2D and 3D origami surfaces
- Characterize spectral properties using FTIR
- Maintain the temperature of an origami surface through actuation under varying irradiation conditions

